

Eiler Fire Whirl

Photogrammetric Analysis

Pictures taken by Jim Brown on August 2, 2014, during the Eiler Fire near Mount Lassen, California; and by Bradley Muller following the fire in September 2014.

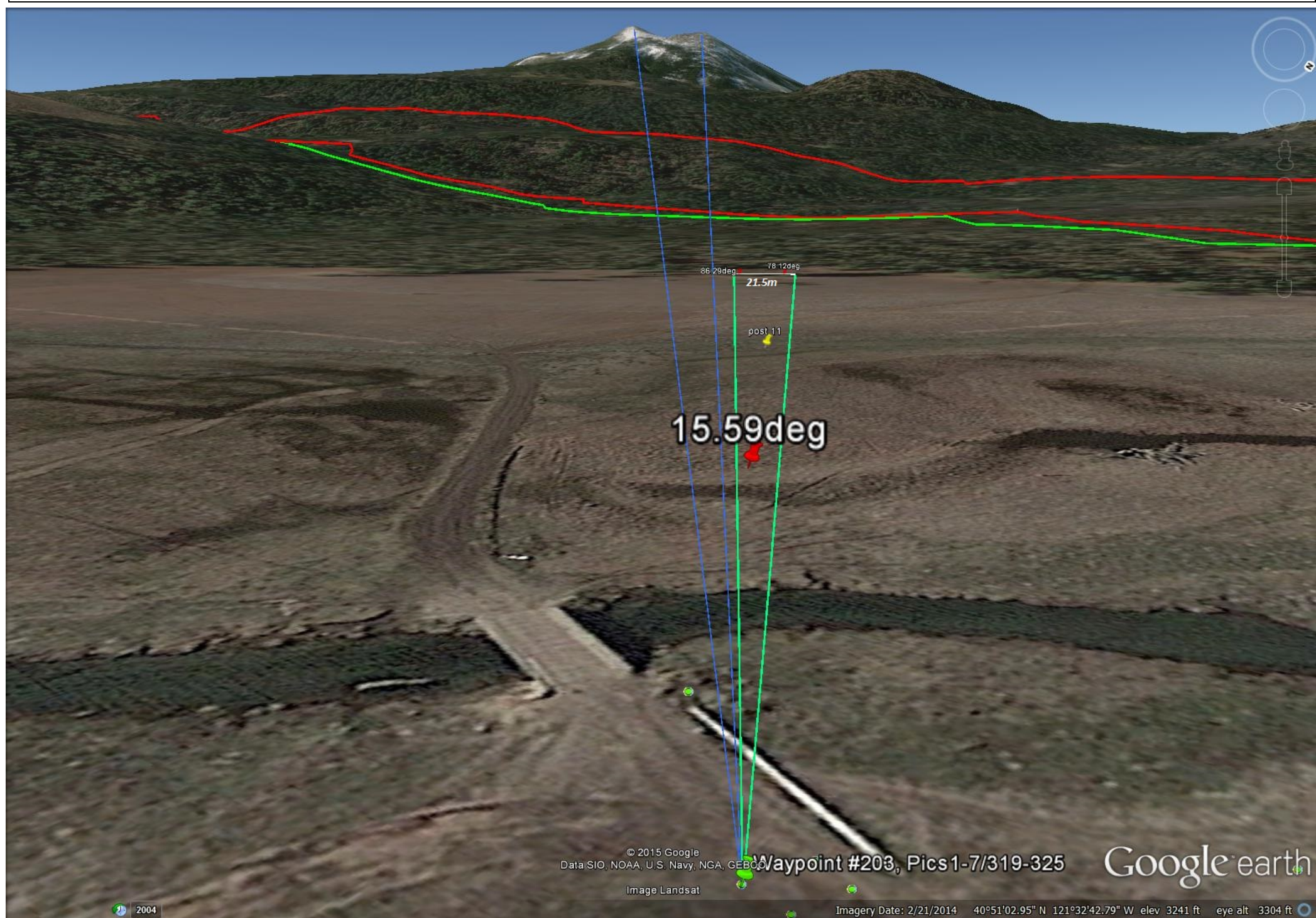
Muller Photo 7:

Focal length = 46mm, Coordinates: 40.851139, -121.544639 Waypoint #203, corresponds with JB photo #325



Google Earth View 1:

This view is a representation of the direction faced in the photos that we will use for this analysis. The aim of the analysis is to estimate the size of airborne material that was swept up in the high winds associated with the Northern fire whirl. This whirl has left the largest damage path of the 3 whirls present on the day of the Eiler fire. We can therefore assume that it would have the greatest potential to loft larger material. By estimating the size of photographed debris, we can gain an understanding of the potential threat to aircraft operating in the vicinity to such phenomena. The **red line** shows the estimated edge of the Northern fire whirl (thought to be the largest). The **green line** bounds an area roughly 50m from the Eastern edge of the whirl.



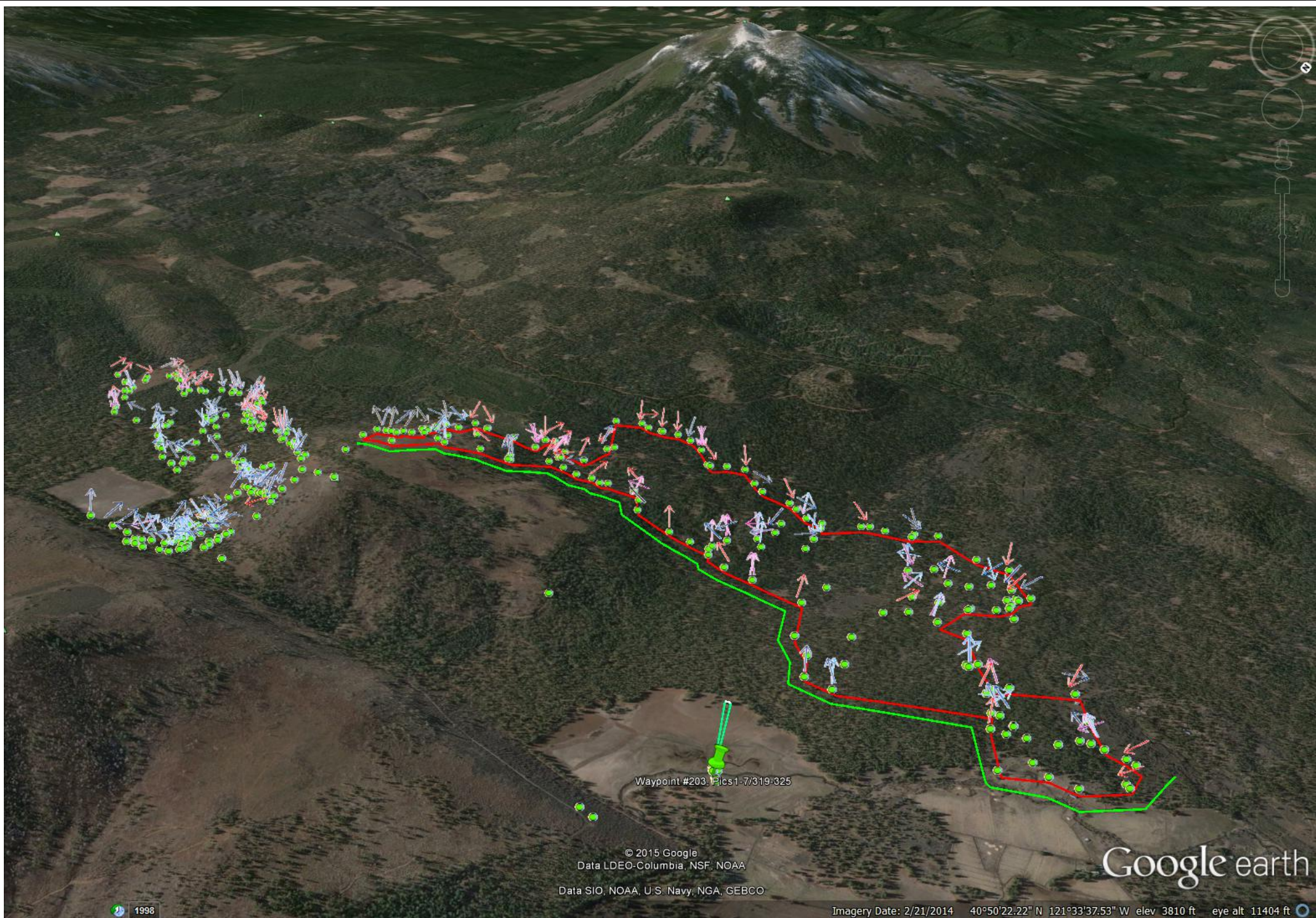
Google Earth View 2:

This view shows the angles and distances between Waypoint #203 (at which the below photos were taken) and two trees of similar height and approximately equal distance from the photographer. We will use these trees as a point of scale. The distance between the trees is 21.5 meters.



Google Earth View 3:

Shows the estimated path boundary in **red** and the 50m zone in **green**, as well as the waypoints corresponding to damage from the other fire whirls (left side of image).



JB Photo 325:

Focal length = 17mm, Waypoint #203, Corresponds with Muller photo #7



Combination of M7 and JB325:

Blending of the two pictures to show terrain behind the fire. This will allow us to determine the approximate distance to each piece of debris in photo 325. Blending done in Adobe Photoshop





JB Photo 327:

Focal length = 40mm, Waypoint #206, corresponds with Muller photo #9



Muller Photo 9:

Focal length = 55mm, Waypoint #206, corresponds with JB Photo 327

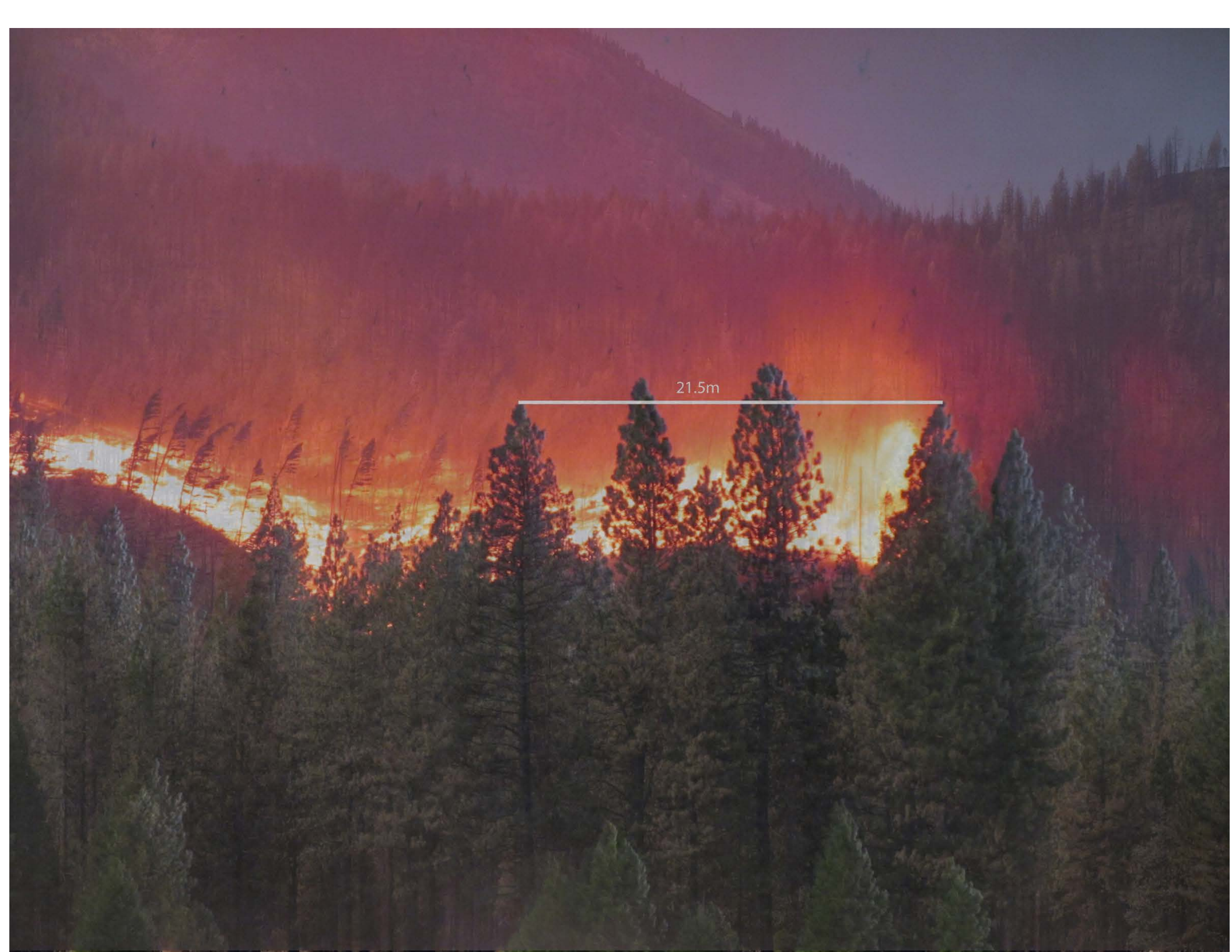


Combination of M9 and JB327:

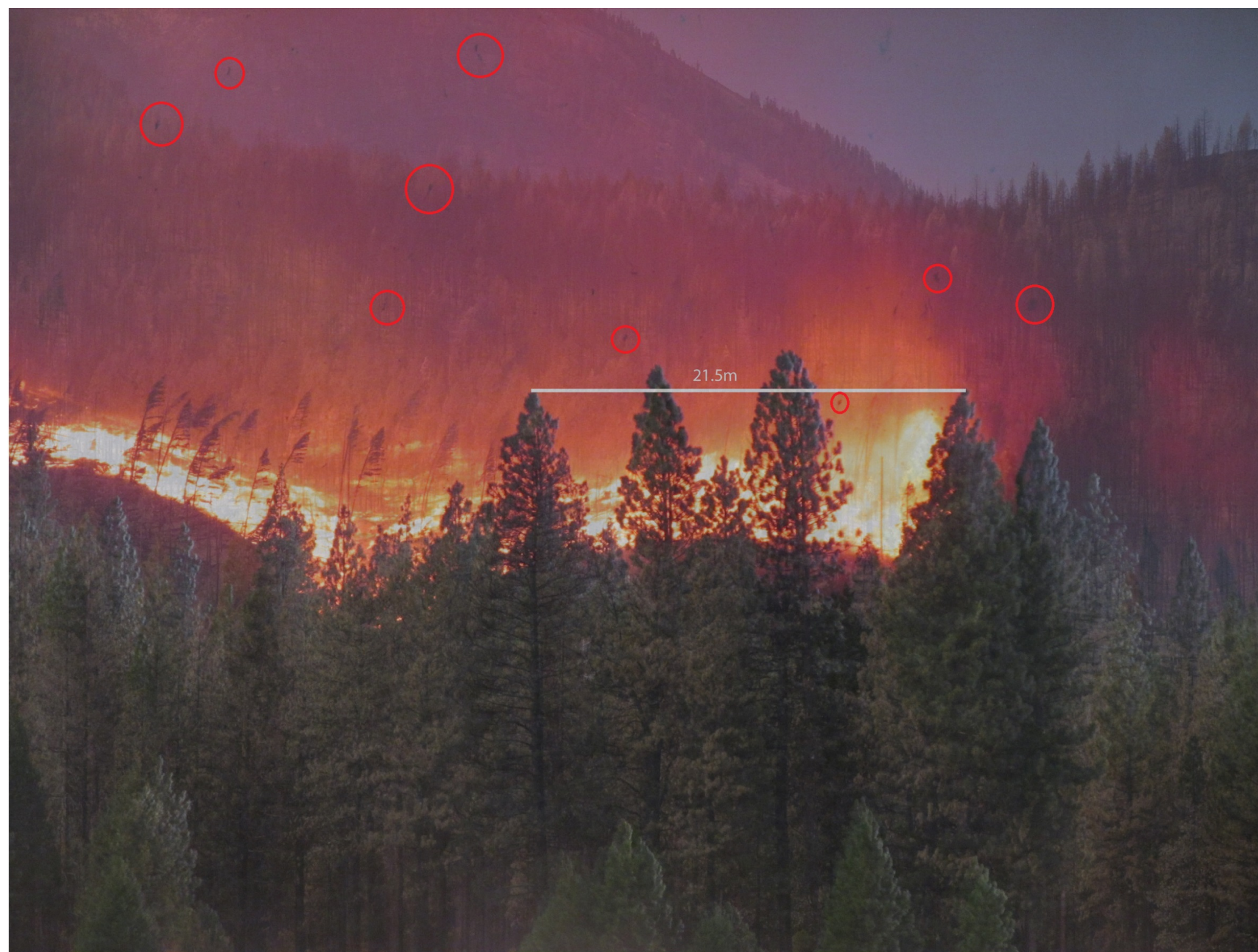
Blending of the two pictures to show terrain behind the fire. This will allow us to determine the approximate distance to each piece of debris in photo 327. Blending done in Adobe Photoshop







21.5m



Photogrammetric techniques:

Method 1: Comparison to tree size/ size of debris on ground



In these photos taken on the day of the fire there are some indications of snapped branches that are visually similar to those photographed in the whirl.

This piece of debris is roughly **40-50cm long** and **50cm wide**.

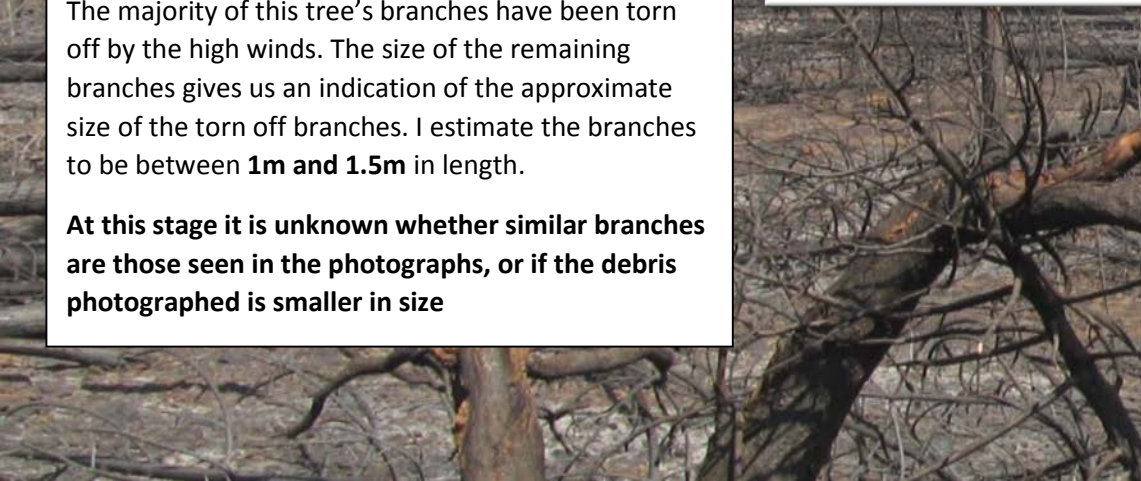
I think that this is likely the size of the majority of the debris in the photos. The debris in the photos looks round and only some pieces are elongated enough to resemble longer branches. The large surface area of the leaves makes these branches more susceptible to being picked up by the high winds. With the larger branches the greenery would probably separate from the branch before the branch separates from the tree.





The majority of this tree's branches have been torn off by the high winds. The size of the remaining branches gives us an indication of the approximate size of the torn off branches. I estimate the branches to be between **1m and 1.5m** in length.

At this stage it is unknown whether similar branches are those seen in the photographs, or if the debris photographed is smaller in size



I included the following photos because they are the best indicator of the resultant damage to the area in which we are performing the analysis. It is clear that the fire whirl did not reach all the way to the tree line, leaving roughly 300-500m forest.







Method 2: Mathematical equations using focal length and max/min distance to the debris

$$\text{Distance to object (mm)} = \text{focal length (mm)} * \text{real height/width of the object (mm)} * \text{image height/width (pixels)}$$

$$\text{object height/width (pixels)} * \text{sensor height/width (mm)}$$

To test the accuracy of this formula, we will do a test calculation of the height of the left hand tree

[We know the distance to the tree and have a measurement of 21.5m between trees at the same distance from the photographer. This data will allow us to double check the answer produced by the formula]

Distance to left hand tree (from previous calculations) = 375m = **375,000mm**

Focal length (JB327) = **40mm**

Real object height = **(X)**

Image height = **3240 pixels**

Object height = Tree takes up approximate 10.75inches/18inches on photo 327 = 59.72% of vertical pixels

$$0.59722 \times 3240 = \textbf{1935 pixels}$$

Sensor height (Canon PowerShot SX150 IS) = **4.55mm**

Using the above formula: $375,000\text{mm} = [40\text{mm} \times (X) \times 3240 \text{ pixels}] / [1935 \text{ pixels} \times 4.55\text{mm}]$

$$375,000\text{mm} = 129,600(X) / 8804.25$$

$$129,600(X) = 3,301,593,750$$

$$(X) = 25475.26\text{mm}$$

$$= 25.47m$$

Cropped photo 327 [20.625 x 26.875 inches]

21.5m (20.625 inches)



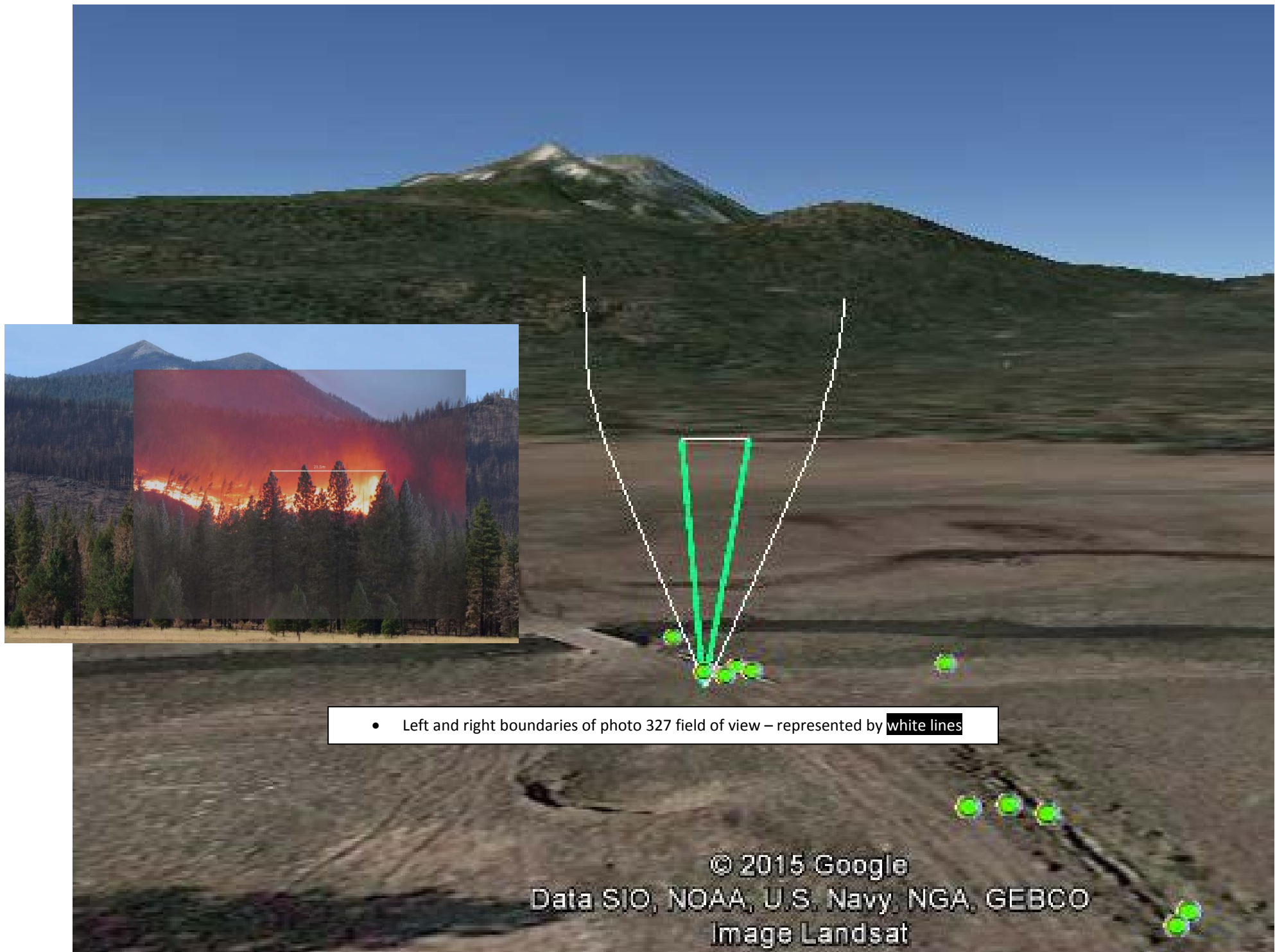
25.47m (26.875 inches)

$$20.625/21.5m = 0.959$$

$$26.875/25.47m = 1.055$$

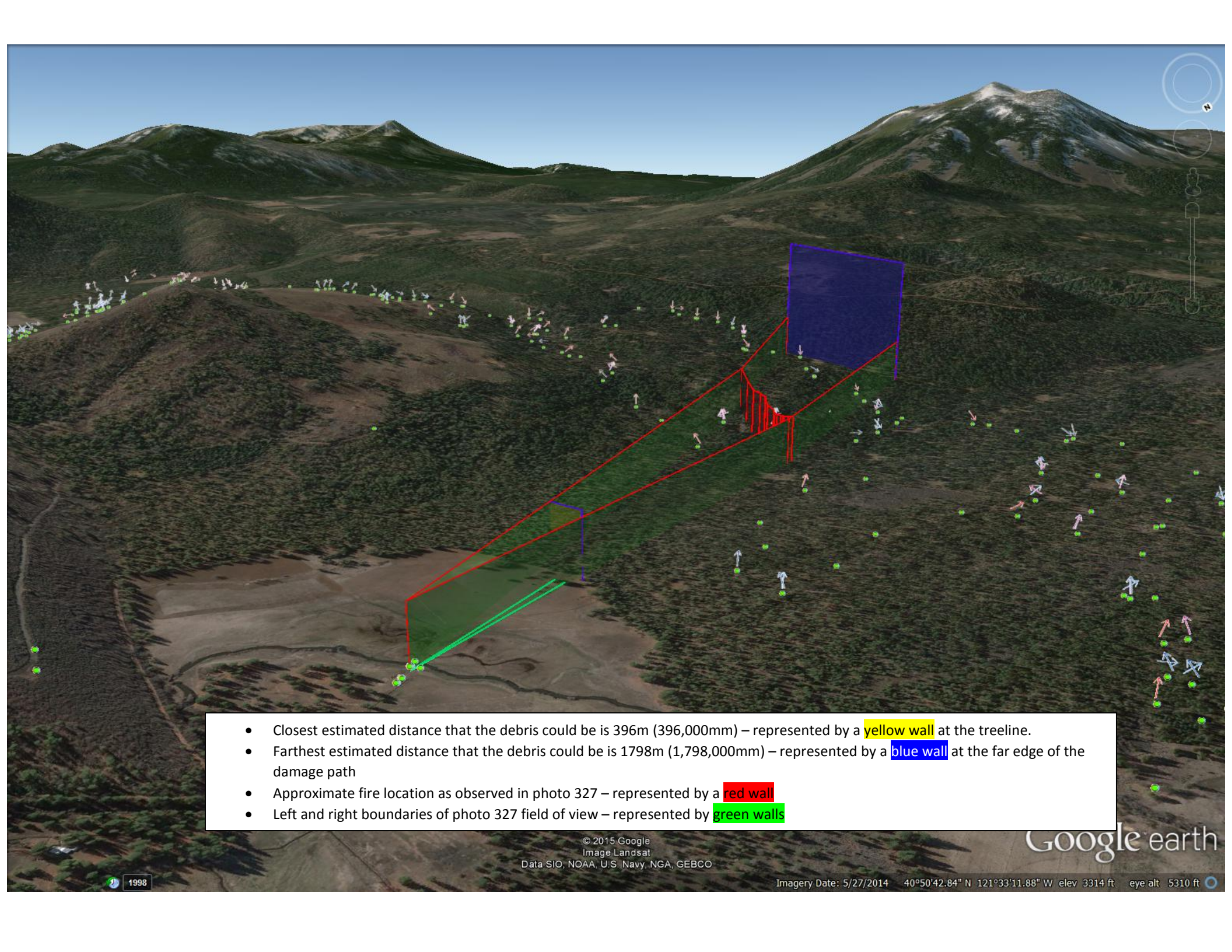
0.959 ~ 1.055 [there will be some disparity due to inaccurate image cropping and rounding of numbers during the calculation]

Thus, the formula used is suitable for further calculations of debris size.



- Left and right boundaries of photo 327 field of view – represented by **white lines**

© 2015 Google
Data SIO, NOAA, U.S. Navy, NGA, GEBCO
Image Landsat

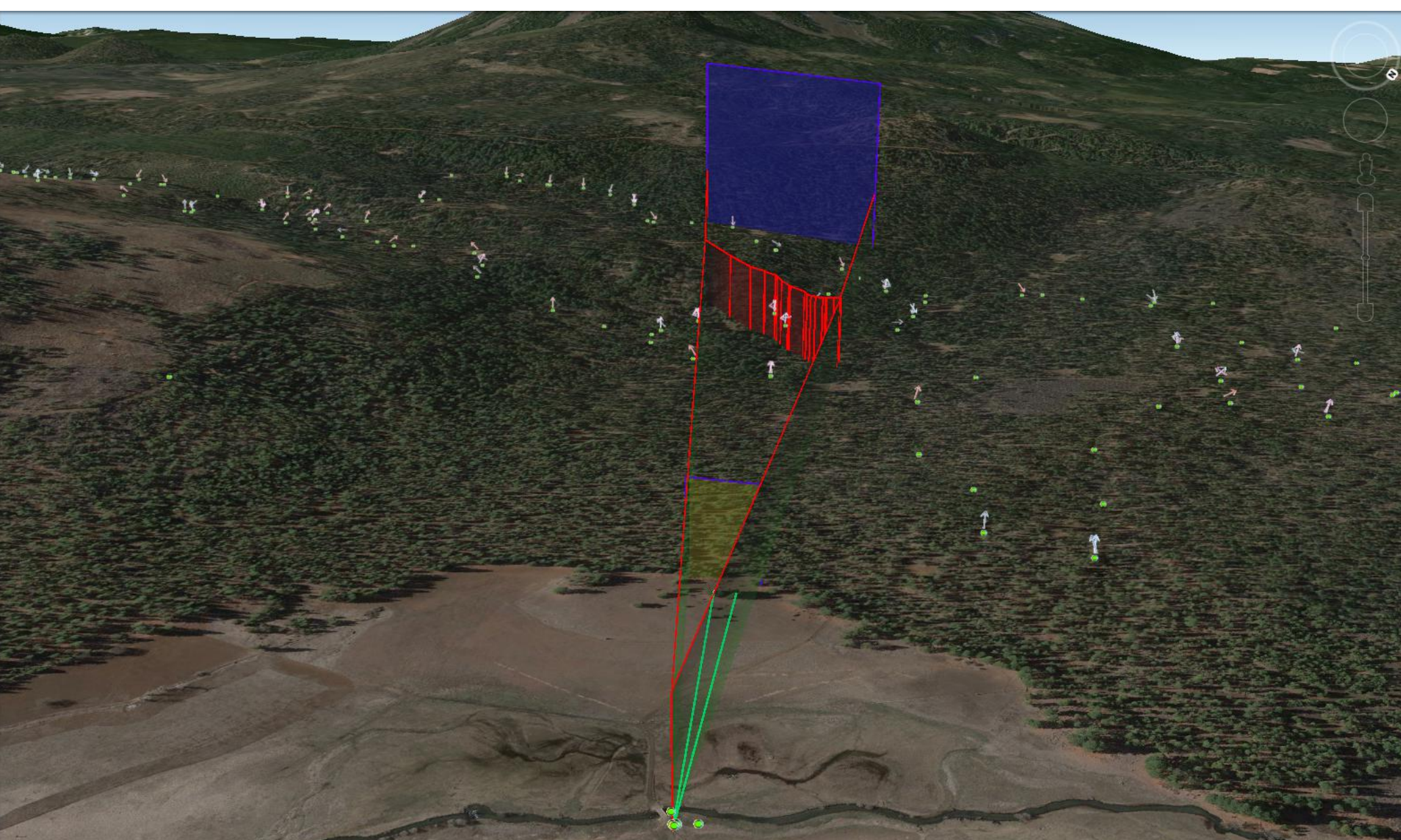
- 
- The image shows a 3D aerial view of a mountainous region. A path of debris, represented by small white and green markers, winds across a valley. Overlaid on the terrain are several colored lines and polygons: a red line representing the farthest debris distance, a blue polygon representing the closest debris distance, a red line representing the fire location, and green lines representing the field of view boundaries. The background features snow-capped mountains under a clear blue sky.
- Closest estimated distance that the debris could be is 396m (396,000mm) – represented by a yellow wall at the treeline.
 - Farthest estimated distance that the debris could be is 1798m (1,798,000mm) – represented by a blue wall at the far edge of the damage path
 - Approximate fire location as observed in photo 327 – represented by a red wall
 - Left and right boundaries of photo 327 field of view – represented by green walls

© 2015 Google
Image Landsat
Data SIO, NOAA, U.S. Navy, NGA, GEBCO

Google earth

Imagery Date: 5/27/2014 40°50'42.84" N 121°33'11.88" W elev 3314 ft eye alt 5310 ft

1998

- 
- The image is an aerial photograph of a landscape, likely a forested area with a cleared path or debris field. A series of small, light-colored rectangular markers are arranged in a line across the middle of the image, representing a debris path. Overlaid on the image are several colored rectangles and lines. A large blue rectangle is positioned at the top of the debris path. A red rectangle is positioned below it, and a yellow rectangle is positioned below that. Two green lines extend from the bottom of the yellow rectangle towards the bottom of the image. The background shows a dense forest of green trees. The bottom of the image features a white text box with a list of bullet points. The Google Earth logo is visible in the bottom right corner.
- Closest estimated distance that the debris could be is 396m (396,000mm) – represented by a yellow wall at the treeline.
 - Farthest estimated distance that the debris could be is 1798m (1,798,000mm) – represented by a blue wall at the far edge of the damage path
 - Approximate fire location as observed in photo 327 – represented by a red wall
 - Left and right boundaries of photo 327 field of view – represented by green walls

$$\text{Distance to object (mm)} = \text{focal length (mm)} * \text{real height of the object (mm)} * \text{image height (pixels)}$$

$$\text{Object height (pixels)} * \text{sensor height (mm)}$$

- Closest estimated distance that the debris could be is 396m (396,000mm)
- Farthest estimated distance that the debris could be is 1798m (1,798,000mm)
- Distance to location of main blaze is approximately 900m (900,000mm)

Photo 327 dimensions = 4320 x 3240 pixels, 24 inches x 18 inches

Largest piece of debris in picture = 0.667 inches wide x 1.306 inches tall

$$[(0.667/24) \times 4320] = 120.06 \text{ pixels wide}$$

$$[(1.306/18) \times 3240] = 235.08 \text{ pixels high}$$

Assume object lies at farthest possible distance from photographer (1798m) and a straight on view (object not angled toward or away from photographer)

Distance to object = **1,798,000mm** Focal length = **40mm** Real height of the object = **(X)** Real width of the object = **(Y)**

Object height = **235.08 pixels** Object width = **120.06 pixels** Sensor height = **4.55mm** Sensor width = **6.17mm**

Therefore: $1,798,000\text{mm} = (40\text{mm} \times (X) \times 3240 \text{ pixels}) / (235.08 \text{ pixels} \times 4.55\text{mm})$

$$1,798,000 = 129600(X) / 1069.614$$

$$129,600(X) = 1,923,165,972$$

$$(X) = 14839\text{mm}$$

$$(X) = \underline{\underline{14.84\text{m (real height of the object)}}}$$

And: $1,798,000\text{mm} = (40\text{mm} \times (Y) \times 4320 \text{ pixels}) / (120.06 \text{ pixels} \times 6.17\text{mm})$

$$1,798,000 = 172,800(Y) / 740.770$$

$$172,800(Y) = 1331904460$$

$$(Y) = 7707\text{mm}$$

$(Y) = 7.71\text{m}$ (real width of the object)

So, if the largest observed piece of debris was the furthest possible distance away, we obtain a maximum possible debris size of **14.84m x 7.71m**

Now assume object lies at closest possible distance from photographer (396m) and a straight on view (object not angled toward or away from photographer)

Distance to object = **396,000mm** Focal length = **40mm** Real height of the object = **(X)** Real width of the object = **(Y)**
Object height = **235.08 pixels** Object width = **120.06 pixels** Sensor height = **4.55mm** Sensor width = **6.17mm**

Therefore: $396,000\text{mm} = (40\text{mm} \times (X) \times 3240 \text{ pixels}) / (235.08 \text{ pixels} \times 4.55\text{mm})$

$$396,000 = 129600(X) / 1069.614$$

$$129,600(X) = 423,567,144$$

$$(X) = 3268.27\text{mm}$$

$(X) = 3.26\text{m}$ (real height of the object)

And: $396,000\text{mm} = (40\text{mm} \times (Y) \times 4320 \text{ pixels}) / (120.06 \text{ pixels} \times 6.17\text{mm})$

$$396,000 = 172,800(Y) / 740.4$$

$$172,800(Y) = 293,198,400$$

$$(Y) = 1696.75\text{mm}$$

$$(Y) = 1.70\text{m (real width of the object)}$$

So, if the largest observed piece of debris was the closest possible distance away, we obtain a debris size of **3.26m x 1.70m**

Now assume largest observed debris lies over the center of the main fire and a straight on view (object not angled toward or away from photographer)

Distance to object = **900,000mm** Focal length = **40mm** Real height of the object = **(X)** Real width of the object = **(Y)**
Object height = **235.08 pixels** Object width = **120.06 pixels** Sensor height = **4.55mm** Sensor width = **6.17mm**

Therefore: $900,000\text{mm} = (40\text{mm} \times (X) \times 3240 \text{ pixels}) / (235.08 \text{ pixels} \times 4.55\text{mm})$

$$900,000 = 129600(X) / 1069.614$$

$$129,600(X) = 962,652,600$$

$$(X) = 7427.875\text{mm}$$

$$(X) = 7.43\text{m (real height of the object)}$$

And: $900,000\text{mm} = (40\text{mm} \times (Y) \times 4320 \text{ pixels}) / (120.06 \text{ pixels} \times 6.17\text{mm})$

$$900,000 = 172,800(Y) / 740.4$$

$$172,800(Y) = 666,360,000$$

$$(Y) = 3856.25\text{mm}$$

$(Y) = 3.89\text{m}$ (real width of the object)

If the largest observed piece of debris is over the center of the main fire, we obtain a debris size of **7.43m x 3.89m**

$$\text{Distance to object (mm)} = \frac{\text{focal length (mm)} * \text{real height of the object (mm)} * \text{image height (pixels)}}{\text{Object height (pixels)} * \text{sensor height (mm)}}$$

$$\text{Object height (pixels)} * \text{sensor height (mm)}$$

Smallest piece of debris in picture = 0.222 inches wide x 0.194 inches tall

$$[(0.222/24) * 4320] = 39.96 \text{ pixels wide}$$

$$[(0.194/18) * 3240] = 34.92 \text{ pixels high}$$

Assume object lies at farthest possible distance from photographer (1798m) and a straight on view (object not angled toward or away from photographer)

Distance to object = **1,798,000mm** Focal length = **40mm** Real height of the object = **(X)** Real width of the object = **(Y)**
 Object height = **34.92 pixels** Object width = **39.96 pixels** Sensor height = **4.55mm** Sensor width = **6.17mm**

Therefore: $1,798,000\text{mm} = (40\text{mm} * (X) * 3240 \text{ pixels}) / (34.92 \text{ pixels} * 4.55\text{mm})$

$$1,798,000 = 129600(X) / 158.886$$

$$129,600(X) = 285,677,028$$

$$(X) = 2204.30\text{mm}$$

$$(X) = \underline{\underline{2.20\text{m (real height of the object)}}}$$

And: $1,798,000\text{mm} = (40\text{mm} \times (Y) \times 4320 \text{ pixels}) / (39.96 \text{ pixels} \times 6.17\text{mm})$

$$1,798,000 = 172,800(Y) / 246.55$$

$$172,800(Y) = 443302653.6$$

$$(Y) = 2565.41\text{mm}$$

$$(Y) = \underline{2.57\text{m (real width of the object)}}$$

So, if the smallest observed piece of debris was the farthest possible distance away, we obtain a debris size of

2.20m x 2.57m

Now assume object lies at closest possible distance from photographer (1798m) and a straight on view (object not angled toward or away from photographer)

Distance to object = 396,000mm	Focal length = 40mm	Real height of the object = (X)	Real width of the object = (Y)
Object height = 34.92 pixels	Object width = 39.96 pixels	Sensor height = 4.55mm	Sensor width = 6.17mm

Therefore: $396,000\text{mm} = (40\text{mm} \times (X) \times 3240 \text{ pixels}) / (34.92 \text{ pixels} \times 4.55\text{mm})$

$$396,000 = 129600(X) / 158.886$$

$$129,600(X) = 62,918,856$$

$$(X) = 485.49\text{mm}$$

$$(X) = 0.485m \text{ (real height of the object)}$$

And: $396,000mm = (40mm \times (Y) \times 4320 \text{ pixels}) / (39.96 \text{ pixels} \times 6.17mm)$

$$396,000 = 172,800(Y) / 246.5532$$

$$172,800(Y) = 97635067.2$$

$$(Y) = 565.02$$

$$(Y) = 0.565m \text{ (real width of the object)}$$

So, if the smallest observed piece of debris was the closest possible distance away, we obtain a minimum possible debris size of **0.485m x 0.565m**

Now assume smallest observed debris lies **over the center of the main fire** and a straight on view (object not angled toward or away from photographer)

Distance to object = **900,000mm**

Focal length = **40mm**

Real height of the object = **(X)**

Real width of the object = **(Y)**

Object height = **34.92 pixels**

Object width = **39.96 pixels**

Sensor height = **4.55mm**

Sensor width = **6.17mm**

Therefore: $900,000\text{mm} = (40\text{mm} \times (X) \times 3240 \text{ pixels}) / (34.92 \text{ pixels} \times 4.55\text{mm})$

$$900,000 = 129600(X) / 158.886$$

$$129,600(X) = 142,997,400$$

$$(X) = 1103.38\text{mm}$$

$(X) = 1.10\text{m}$ (real height of the object)

And: $900,000\text{mm} = (40\text{mm} \times (Y) \times 4320 \text{ pixels}) / (39.96 \text{ pixels} \times 6.17\text{mm})$

$$900,000 = 172,800(Y) / 246.5532$$

$$172,800(Y) = 221,897,880$$

$$(Y) = 1284.13$$

$(Y) = 1.28\text{m}$ (real width of the object)

So, If the smallest observed piece of debris is over the center of the main fire, we obtain a debris size of

1.10m x 1.28m
